Electronic Components Industry Association

# Part Size and Part Rotation in Carrier Tape 

## A Guide for Understanding the Relationship

An ECIA Knowledge Document

Volume 1, Number 6 Ed. 2
August 2023

# §ecia 

Electronic Components Industry Association

## NOTICE

ECIA Knowledge Documents are designed to serve the public interest through eliminating misunderstandings between manufacturers and purchasers, facilitating interchangeability and improvement of products, and assisting the purchaser in selecting and obtaining with minimum delay the proper product for his particular need. Existence of such documents shall not in any respect preclude any member or nonmember of ECIA from manufacturing or selling products not conforming to the documents, nor shall the existence of such documents preclude their voluntary use by those other than ECIA members, whether the document is to be used either domestically or internationally.

ECIA does not assume any liability to any patent owner, nor does it assume any obligation whatever to parties adopting the Document.

This Document does not purport to address all safety problems associated with its use or all applicable regulatory requirements. It is the responsibility of the user of this Document to establish appropriate safety and health practices and to determine the applicability of regulatory limitations before its use.

This ECIA Knowledge Document was formulated under the cognizance of the Automated Component Handling Committee.

Published by
©2023 Electronic Components Industry Association
Engineering Department
13873 Park Center Road, Suite 315
Herndon, VA 20171

## Understanding the rotational limits of part control related to part to pocket clearance

As parts get smaller and smaller, it becomes much more difficult to minimize the part rotation due to the higher percentage the tolerance makes up of both the part size and pocket size. Even a part with $\pm 0.02 \mathrm{~mm}$ tolerance and a pocket with $\pm 0.03 \mathrm{~mm}$ tolerance will have a minimum part to maximum pocket clearance of 0.10 mm .

Part fit for rectangular devices is based on the corners hitting the side wall, and can be computed using the diagonal length of the part relative to the length and width of the pocket. See Figures 1-4

The device rotation is generally constrained by the walls of the longest edge of the pocket and device if the clearances are the same. The calculations are based on the following definitions
$A$ is device length in $x$ direction
$B$ is device length in $y$ direction
Ao is pocket size in $x$ direction
Bo is pocket size in y direction
$D$ is the length of the diagonal from corner to corner on the device $\theta_{1}$ is the standard angle of the device when sitting square to the pocket.
$\theta_{2 A}$ and $\theta_{2 B}$ are the angles of the device constrained by the pocket, calculated using both Ao and Bo direction constraints
$\theta$ is the maximum angle that the device moves from its standard position $=\theta_{1}-\theta_{2}$

The calculations are as follows:
$\mathrm{D}=\sqrt{A^{2}+B^{2}}$
$\theta_{1}=\tan ^{-1}(B / A)$
$\theta_{2 A}=\theta_{1}-\left(\cos ^{-1} \frac{A_{O}}{D}\right)$
$\theta_{2 B}=\left(\sin ^{-1} \frac{B_{O}}{D}\right)-\theta_{1}$

Volume 1, Number 6 Ed. 2
Page 2

Maximum Rotation $\theta=\operatorname{Min}\left(\theta_{2 \mathrm{~A}}, \theta_{2 \mathrm{~B}}\right)$

The part diagonal length $\mathrm{D}=$ square root of $\left(\mathrm{A}^{2}+\mathrm{B}^{2}\right)$
When centered in the tape, the standard angle of the diagonal is $\tan ^{-1}(\mathrm{~B} / \mathrm{A})=\theta_{1}$ as shown in Figure 4


Figure 1

When rotated so that the corners are constrained by the longest wall, the new angle $\theta_{2}$ can be computed because we know the diagonal distance $D$ and we now know the constrained distance $\mathrm{A}_{\circ}$
$\theta_{2}=\left[\theta_{1}-\cos ^{-1}\left(A_{0} / D\right)\right]$ or $\left[\sin ^{-1}\left(B_{0} / D\right)-\theta_{1}\right]$ depending on the constraining wall as shown in Figure 2 and 3.


Rotated Angle Ao Contained


Rotated Angle Bo Contained

Figure 2


Device Rotation Ao Contained


Device Rotation Bo Contained

## Figure 3

$\theta$ is the minimum of $\theta_{2 A}$ and $\theta_{2 \mathrm{~B}}$ and represents the maximum rotation angle that the device can move. By using maximum pocket dimensions and minimum device dimensions, we can determine the maximum rotation of the device in the pocket as shown in Figure 4.


Figure 4

Volume 1, Number 6 Ed. 2
Page 4
An example is shown below in Figure 5 and Table 1 using a minimum pocket size of $\mathrm{A}_{\circ}$ $=20 \mathrm{~min}, B_{0}=25 \mathrm{~min}$, and maximum device size of $A=17^{\circ} \mathrm{max}$, and $B=22^{\circ}$ max.


Figure 5

Table 1

$\underset{(\mathrm{mm})}{\text { Inputs }} \quad$| Computations |
| :---: |
| (degrees) |

A max $\quad 17$

B Max
$A_{0}$ Min
Bo Min

D
$\theta_{1}$
$\theta_{2 A}$
$\theta_{2 B}$
$\theta$ (Min of $\theta_{2 \mathrm{~A}}$ and $\theta_{2 B}$ )

Angle Difference 27.8
52.3
$44.0 \quad 8.3$
$64.1 \quad 11.8$
8.3

